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Should Utility-Reducing Media Advertising be Taxed?

Abstract

Empirical evidence suggests that people dislike ads in media products like TV programs. In such situations standard economic theory prescribes that the advertising volume can be optimally reduced by levying a tax on ads. However, making use of recent advances in the theory of Industrial Organization and two-sided markets we show that taxing ads may be counterproductive. In particular, we identify a number of situations in which ad-adverse consumers are negatively affected by the tax, and we even show that the tax may lead to higher ad volumes. This unorthodox reaction to a tax may arise when consumers significantly dislike ads, i.e. in situations where traditional arguments for corrective taxes are strongest.


Keywords: two-sided markets, media market, pricing strategy, ad-tax.
1 Introduction

Media industries such as radio, TV, internet, newspapers, and magazines are major drivers in popular culture, and they take up the lion’s share of peoples’ leisure time.\footnote{The average American watches over four hours of TV per day and the average European watches closed to 3 hours and thirty minutes. See Anderson and Gabszewicz (2006) for further empirical documentation of media usage.} It is also a fact that most media firms rely on advertising to partially or fully finance their activities. However, empirical evidence suggests that people dislike ads in media products, at least on the margin, and worries have been raised over possible excessive advertising in e.g. TV channels.\footnote{It is well documented that viewers try to avoid advertising breaks on TV, see Moriarty and Everett (1994), Danaher (1995), and Wilbur (2008). For printed newspapers there are some indications that the extent to which people consider commercials as bad varies across countries (Gabszewicz et al., 2004).} This has lead European countries to restrict the amount of TV commercials, and for a limited period of time some US states imposed a tax on advertising in printed media.\footnote{See ANA (2005) and the webpage by the American Advertising Federation (AAF): http://www.aaf.org/ \rightarrow government affairs.} A tax on ads has also been voiced in New Zealand (Allen et al., 2002) based on a nuisance argument. It is surprising given the importance media products play in our lives that there exists no formal analysis of pigouvian taxes on advertising. This is the topic of this paper.

The nuisance cost of advertising is likely to depend on the type of media products in which the advertising appears. One may for instance argue that readers relatively easily can avoid ads in newspapers simply by skipping pages, whilst program interruption on TV is more serious. This indicates that there is a relatively strong negative correlation between the advertising volume in a TV channel and the consumers’ willingness to pay for watching it. The fact that commercial TV channels historically nonetheless have relied almost exclusively on advertising rev-
enue is presumably due to technological reasons; until recently it was difficult for
TV channels to charge the viewers directly. However, this has changed with the
advent of digitalization of TV signals. Not surprisingly, we have therefore observed
a process where TV channels earn an increasingly large share of their revenue di-
rectly from the audience.\textsuperscript{4} TV channels as well as newspapers and magazines thus
operate in what is commonly described as two-sided markets - their business models
reflect the fact that they depend on revenue from both the consumer market and
the advertising market.\textsuperscript{5}

Standard economic theory prescribes that if advertising is disliked by the au-
dience (negative externality), the advertising volume can be optimally reduced by
levying a tax that reflects the nuisance cost of ads. Thereby the government is able
to raise public tax revenue and correct for market failures with one and the same
instrument. This insight certainly raises the question of whether it would be a good
idea to replace the European system of quantity regulation on TV ads with correc-
tive revenue-raising taxes. However, we do not focus on this specific issue. Instead
we analyze more generally the effects of taxing ads in media industries that operate
in two-sided markets.

The questions we ask are how a tax on ads changes media firms’ market behav-
ior, to what extent they reduce the ad volume, and how the media consumers are
affected. We find that the traditional recommendation of imposing a tax on a good
that causes a negative externality (utility-reducing ads) does not necessarily allevi-
ate the negative externality. Rather it may actually aggravate it. In particular, we

\textsuperscript{4}In the UK, for instance, TV channels made £ 2 bn in revenues from subscriptions in 2000, far
below the £ 3.6 bn in advertising revenue. In 2004, the revenues from subscription were £ 3.3 bn
while the revenues from advertising were £ 3.2 bn. See Ofcom (2005): 'The communication market
2005', section 1.4.3 at http://www.ofcom.org.uk/research/cm/cm05/overview05/finance/.

\textsuperscript{5}Evans (2003) defines a two-sided market as one where we have (a) two distinct groups of
customers, (b) positive network externalities (at least from one of the customer groups to the
other), and (c) an intermediary that internalizes the externalities between the groups. See Rochet
and Tirole (2006) for a more formal definition.
identify a number of situations in which ad-adverse consumers are negatively affected by the tax, and we even show that the tax may lead to higher ad volumes. This unorthodox reaction to a tax may arise when consumers significantly dislike ads, i.e. in situations where the traditional arguments for corrective taxes are strongest.

It is only recently that firm behavior in two-sided markets has been formally analyzed - see for instance Caillaud and Jullien (2001, 2003), Armstrong (2006) and the review by Rochet and Tirole (2006). The focus of these contributions is how the two-sidedness of markets influences the pricing decision of firms. The effects of taxation are masked out in these papers. Kind et al. (2008) discuss the issue of taxation in two-sided markets but do not consider a tax on ads. Allen et al. (2002) consider a tax on advertising, but resort to a one-sided market structure.6

The paper proceeds as follows: Section 2 introduces the model of a two-sided media market, followed by an analysis of the effects of ad taxes in section 3. Section 4 summarizes the results and offers some concluding remarks.

2 The model

We consider a firm which sells a media product - which for simplicity we call newspapers (good N) - to consumers at price \( p^N \) and ad space (good A) to producers at price \( p^A \). Let \( n \) and \( a \) denote the respective quantities of the two goods. Both newspaper readers and advertisers are price takers, with inverse demand functions being downward-sloping in own quantity; \( \frac{\partial p^N}{\partial n} < 0; \frac{\partial p^A}{\partial a} < 0. \) In the sequel we further assume:

**Assumption 1:** \( p^A_n(a, n) > 0 \) and \( p^N_n(a, n) < 0. \)

With \( \frac{\partial p^A}{\partial n} \equiv p^A_n(a, n) > 0 \) we have made the reasonable assumption that the willingness to pay for an ad is increasing in the number of newspaper readers, while

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6See Fullerton and Metcalf, 2002 for a survey.
\( p_N^N (a, n) \equiv p_N^N < 0 \) means that the readers’ willingness to pay for the newspaper is decreasing in the ad-level. The latter implies that the audience is ad-averse.\(^7\)

Note that with Assumption 1 we cannot consider advertising and newspapers as complements in the usual sense, where a price reduction of one good leads to more sales of both goods. On the contrary, if the media firm reduces the price of advertising in order to sell more of that good, it will have to accept lower sales of the newspaper, other things being equal.

An ad-valorem tax \((t)\) is levied on ads, which implies that the newspaper receives the net price \( p_A / (1 + t) \) per advertisement. The tax rate \( t \) may deviate from the general VAT rate, which for simplicity we set equal to zero. The profit level of the newspaper is given by

\[
\Pi = \frac{p_A(a, n)a}{1 + t} + p_N^N (a, n)n - k(a, n),
\]

where \( k(a, n) \) is the cost function, with \( k_i \geq 0 \) \((i = a, n)\) and \( k_{ij} \geq 0 \) \((i \neq j)\).\(^8\)

The media firm maximizes profit with respect to sales of newspapers and advertising space. We presuppose that the second-order conditions for profit maximization hold; \( \Pi_{aa} < 0 \), \( \Pi_{nn} < 0 \), and \( H = \Pi_{aa} \Pi_{nn} - \Pi_{an}^2 > 0 \).

From (1) we find that the first-order condition for the newspaper’s advertising volume \((\Pi_a = 0)\) reads

\[
\frac{p_A^A + p_a^A a}{1 + t} = k_a - p_N^N n. \quad (2)
\]

The left-hand side of equation (2) measures the marginal revenue on the advertising side of the market of selling ads \((MR_a)\), and this term should be set equal to marginal cost \((k_a)\) in a standard one-sided market. However, a one-unit increase in

\(^7\)All the equations that follow go through independently of the sign of \( p_N^N \).

\(^8\)Intuitively, one might expect that the marginal cost of printed newspapers is increasing in the ad-volume, and vice versa (so that \( k_{an} > 0 \)). However, there may also exist some cost synergies, which means that \( k_{an} < 0 \). Since our theoretical results go through in either case, we leave the sign of \( k_{an} \) unspecified.
the ad-level means that the willingness to pay for the newspaper falls by $p_a^N$ units. With $n$ newspaper readers, this represents a loss equal to $p_a^N n$ for the media firm. We may therefore interpret the sum of the actual marginal costs $k_a$ and the externality term $-p_a^N n > 0$ as the newspaper’s perceived marginal costs of advertising ($PMC_a$), that is, $PMC_a \equiv k_a - p_a^N n$. Equation (2) simply says that these perceived marginal costs are equal to marginal revenue in optimum. Since $PMC_a > k_a$ if the newspaper readers dislike ads, the first-order condition implies that the media firm sells a lower ad-volume than what maximizes profits on the ad-side of the market.

Setting $\Pi_n = 0$ we further find that

$$p_a^N + p_a^N n = k_n \frac{p_n^A a}{1 + t},$$

which has a similar interpretation to that of equation (2): the marginal revenue on the newspaper side of the market ($MR_n$) should be set equal to the perceived marginal costs of selling a newspaper ($PMC_n$). These perceived costs will be smaller than the actual marginal costs ($PMC_n < k_n$) if a larger newspaper circulation increases the willingness to pay for ads. This is captured by the term $p_n^A a / (1 + t) \geq 0$.

From (2) and (3) it follows that:

**Lemma 1**: *Ceteris paribus, an increase in the ad-valorem tax on ads reduces the marginal revenue of selling ads ($\partial MR_a / \partial t < 0$) and increases the perceived marginal costs of selling newspapers ($\partial PMC_n / \partial t > 0$).*

Note that $PMC_n < 0$ if $k_n$ is sufficiently small compared to $p_n^A a$. This may for instance be the case with television and electronic newspapers, where marginal costs are approximately equal to zero. However, $PMC_a$ must certainly be positive if consumers dislike ads, even in cases where $k_a = 0$.

The interrelationship between the two sides of the market is illustrated in Figure 1, where we have set marginal costs equal to zero. The left-hand side panel shows
the profits in the reader market from selling newspapers, $\Pi^N = p^N n$, while the right-hand panel shows the profits in the advertising market from selling ads, $\Pi^A = \frac{p^A a}{1+t}$.

If the advertisers did not care about the number of readers and the readers did not care about the number of ads, the newspaper would maximize profit by setting $n^* = \arg \max N$ and $a^* = \arg \max A$. However, with $p^A_n > 0$ and $p^N_a < 0$ first-order conditions (2) and (3) imply that, other things equal, we have $n^{opt} > n^*$ and $a^{opt} < a^*$.

![Figure 1: Implications of the first-order conditions.](image)

3 Tax responses

Standard welfare economics tells us to tax a good which imposes a negative externality.\(^9\) By assuming that $p^N_a < 0$ we have thus tilted the model such that taxation of ads at the outset should have a positive welfare effect. Below, we show that this does not necessarily hold in a two-sided market.

First-order conditions (2) and (3) make it clear that equilibrium prices and quantities on both sides of the market depend on the tax rate on ads. Differentiating $p^A = p^A(a(t), n(t))$ and $p^N = p^N(a(t), n(t))$ with respect to $t$ we find that the price

\(^9\)If $p^A_n$ and/or $p^N_a$ are different from zero we have externalities between the customer groups. The reason is that price-taking producers and consumers do not take into account the effect of their actions on the demand in either side of the market.
changes subsequent to a tax increase are given by
\[
\frac{dp^A}{dt} = p^A_a \frac{da}{dt} + p^A_n \frac{dn}{dt} \quad \text{and} \quad \frac{dp^N}{dt} = p^N_n \frac{dn}{dt} + p^N_a \frac{da}{dt}.
\]  (4)

By totally differentiating first order conditions (2) and (3) we further have
\[
\frac{da}{dt} = \frac{1}{H (1+t)} \left[ MR_a \Pi_{an} + \frac{p^A_n a}{1+t} (-\Pi_{an}) \right]
\]  (5)

and
\[
\frac{dn}{dt} = \frac{1}{H (1+t)} \left[ \frac{p^N_a a}{1+t} \Pi_{aa} + MR_a (-\Pi_{an}) \right].
\]  (6)

The sign of \( \Pi_{an} \equiv \partial^2 \Pi / (\partial a \partial n) \) turns out to be of particular relevance for the tax analysis, and by using equations (1) - (3) we find
\[
\Pi_{an} = p^N_a [1 + \varepsilon_n] + p^A_a (1 + t)^{-1} [1 + \varepsilon_a] - k_{an},
\]  (7)

where \( \varepsilon_n \equiv \frac{n}{p^N_a} \frac{\partial p^N_a}{\partial n} \) and \( \varepsilon_a \equiv \frac{a}{p^A_a} \frac{\partial p^A_a}{\partial a} \).

The cross derivative \( \Pi_{an} \) measures how the marginal profitability of selling newspapers, \( \Pi_n \), changes if the advertising volume increases. One might think that \( \Pi_{an} \) is negative, given the assumption that the willingness to pay for the newspaper is decreasing in the advertising volume \( (p^N_a < 0) \). However, if the elasticity of \( p^N_a \) with respect to \( n \) is smaller than minus one \( (\varepsilon_n < -1) \), the first term in (7) is positive. The interpretation of the second term in (7) is similar; this term is positive for \( p^A_n > 0 \) if \( \varepsilon_a > -1 \). Clearly, we might therefore have \( \Pi_{an} > 0 \), and we are not aware of any empirical studies which can help us determine the sign. We shall therefore consider both the case \( \Pi_{an} \geq 0 \) and \( \Pi_{an} < 0 \).

4 A tax on ads when \( \Pi_{an} \geq 0 \)

When \( \Pi_{an} \geq 0 \), the marginal profitability of newspaper sales is increasing in the ad-volume. We shall start this section by assuming that \( \Pi_{an} = 0 \). In this case an increase in \( t \) unambiguously leads to a lower advertising volume \( (da/dt < 0) \), since
the media firm’s marginal revenue of selling ads falls. Formally, this can be seen
from equation (5), which now simplifies to
\[ \frac{da}{dt} \bigg|_{\Pi_{an}=0} = \frac{\Pi_{an}}{H(1+t)} MR_a < 0. \] (8)

By taxing ads, the government is thus able to reduce the ad volume in the
newspaper. Other things equal, this makes the newspaper more attractive for the
consumers. However, this does not imply that output of newspapers increases. On
the contrary, from equation (6) we find
\[ \frac{dn}{dt} \bigg|_{\Pi_{an}=0} = \frac{\Pi_{aa}}{H(1+t)^2} p_n^A a < 0. \] (9)

The intuition for why \( dn/dt < 0 \) is clear from Lemma 1: a higher tax rate on ads
increases the perceived marginal cost of selling newspapers.\(^{10}\) Thus, it is optimal to
reduce output.

The negative quantity effects of a higher tax on ads are magnified if \( \Pi_{an} > 0 \), since
a smaller newspaper circulation then reduces the marginal profitability of selling
ads and vice versa. This can be verified by noting that the last terms in the square
bracket of (5) and (6) are negative when \( \Pi_{an} > 0 \). We can therefore state:

**Proposition 1:** Suppose that \( \Pi_{an} \geq 0 \). A higher ad-valorem tax on ads reduces
sales of both ads and newspapers.

Next, consider how an increase in \( t \) affects the end-user prices on the two sides
of the market. The direct effect of a smaller sale of newspapers is to increase the
price of newspapers (since the demand curve is assumed to be downward-sloping).
Additionally, the willingness to pay for newspapers increases since the ad-volume is
reduced. From equation (4) we therefore find \( dp^N/dt > 0 \).

\(^{10}\)From (3) we have \( k_n - PMC_n = \frac{p_n^A}{1+t^2} > 0 \). Substituting for \( \frac{p_n^A}{1+t^2} \) into (9) we can write
\[ \frac{dn}{dt} \bigg|_{\Pi_{an}=0} = \frac{\Pi_{aa}}{H(1+t)^2} (k_n - PMC_n) < 0. \]
The effect on the price of ads is ambiguous. The own-price effect suggests that the price increases, while the fact that newspaper sales fall suggests a lower price. The net effect depends on which of these effects dominates, such that \( dp^A/dt \leq 0 \).

We can state:

**Proposition 2:** Suppose that \( \Pi_{an} \geq 0 \). A higher ad-valorem tax on ads increases the price of newspapers, while the effect on the price of ads is ambiguous.

Somewhat surprisingly, and in sharp contrast to results in one-sided markets, Proposition 2 shows that the end-user price of the more heavily taxed good might fall. The end-user price of the good where the tax rate is unchanged, on the other hand, increases.

5 Monopoly vs. duopoly with \( \Pi_{an} \geq 0 \)

Above we only considered a monopoly newspaper in order to make the general analysis tractable. To gain some extra insight and to show that the results survive under competition, we shall now illustrate the findings above in a simple duopoly model. Using the same media model as in Kind et al (2007), we assume that the consumers have the following utility function:

\[
U = \sum_{i=1}^{2} n_i - \left( (1 - s) \sum_{i=1}^{2} \frac{n_i^2}{2} + s \left( \sum_{i=1}^{2} \frac{n_i}{2} \right)^2 \right); \ i = 1, 2. \tag{10}
\]

The variable \( n_i \) in equation (10) denotes consumption of newspaper \( i = 1, 2 \), while the parameter \( s \in [0, 1] \) measures how differentiated the newspapers are; from the readers’ point of view they are completely unrelated if \( s = 0 \) (so that each newspaper behaves as a monopoly), while they are considered as perfect substitutes if \( s = 1 \). More generally, the readers perceive the newspapers as closer substitutes the higher \( s \) is.\(^{11}\)

\(^{11}\)The Shubik-Levitan (1980) formulation in equation (10) ensures that the parameter \( s \) only
Each consumer has to make a direct payment $p_i^N \geq 0$ per copy of newspaper $i$. Consistent with Assumption 1 we further presuppose that the newspaper readers are negatively affected by commercials. The willingness to pay for newspaper $i$ is consequently decreasing in its advertising level; $\partial p_i^N / \partial a_i = -\gamma$, where $\gamma$ is a positive parameter. The higher $\gamma$, the greater is the consumers’ disutility of advertising. The consumer surplus from reading the newspapers is thus equal to

$$CS = U - \sum_{i=1}^{2} (p_i^N + \gamma a_i) n_i.$$  

Maximizing consumer surplus with respect to consumption of the two newspapers generates the inverse demand function

$$p_i^N = 1 - (2 - s) n_i/2 - \gamma a_i - sn_j/2 \quad (i, j = 1, 2, i \neq j). \quad (11)$$

Consumer-good producers advertise in newspaper $i$ if the benefit of doing so is larger than the cost. A producer’s gross gain from advertising in newspaper $i$ is naturally increasing in its advertising level ($a_i$) and in the number of readers exposed to its advertising ($n_i$). We make it simple by assuming that the gross gain equals $a_i n_i$. With a price per ad equal to $p_i^A$, the net gain from advertising is

$$\pi = \left( \sum_{i=1}^{2} a_i n_i \right) - \left( \sum_{i=1}^{2} p_i^A a_i \right). \quad (12)$$

Without affecting the qualitative results, we assume that there is only one advertiser. Solving $\{a_1, a_2\} = \arg \max \pi$ subject to (11) we find that the inverse demand curve for ads in newspaper $i$ equals

$$p_i^A = 1 - \frac{(2 - s) (p_i^N + 2 \gamma a_i) - s (p_j^N + 2 \gamma a_j)}{2 (1 - s)} \quad (i, j = 1, 2; \ i \neq j). \quad (13)$$

The willingness to pay for an ad in newspaper $i$ is thus decreasing in its advertising volume ($\partial p_i^A / \partial a < 0$) and in the consumer price of the newspaper ($\partial p_i^A / \partial p_i^N < 0$).

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11 captures product differentiation and not the size of the market. This is in contrast to the standard quadratic utility function, where one and the same parameter measures both product differentiation and market size. See Motta (2004) for details.
The reason for the latter is that a higher newspaper price tends to reduce newspaper circulation, thereby making advertising less attractive. Since the two newspapers compete in the reader market if \( s > 0 \), equation (13) further shows that the willingness to pay for ads in newspaper \( i \) is increasing in the advertising level and price of newspaper \( j \).

Analogously to equation (1), the profit level of newspaper \( i \) equals

\[
\Pi_i = \frac{p_i^A a_i}{1 + t} + p_i^N n_i - k(a_i, n_i). \quad (14)
\]

Since the purpose of this example is to illustrate the consequences of taxing ads when the marginal profitability of newspaper sales is increasing in the ad level (\( \Pi_{an} \equiv \frac{\partial^2 \Pi}{\partial n_i \partial a_i} > 0 \)), we shall for simplicity set \( k = 0 \). We then have

\[
\Pi_{an} = \frac{1}{1 + t} - \gamma > 0. \quad (15)
\]

The assumption that \( k = 0 \) is not critical, as long as the costs are not so high as to make \( \Pi_{an} < 0 \).

Solving \( \{a_i, n_i\} = \arg \max \Pi_i \) simultaneously for the two media firms, we find a unique symmetric equilibrium. Omitting subscripts, output of newspapers and advertising is given by

\[
n = \frac{2\gamma (4 - 3s)}{D_1} \quad \text{and} \quad a = \frac{4 (1 - \gamma (1 + t)) (1 - s)}{D_1}. \quad (16)
\]

In the Appendix we show that the denominator \( D_1 \) is positive when the second-order conditions and the non-negativity constraints are satisfied.

For comparison between conventional markets (one-sided markets) and two-sided markets the following may now be noted:

**Remark 1:** Assume a one-sided market structure (\( p_n^A = p_n^N = 0 \)). Prices, output, and welfare are then independent of the VAT rate if \( k = 0 \).

The intuition for the results in Remark 1 is that ad-valorem taxes work as pure profit taxes in one-sided markets if marginal costs are zero (\( k = 0 \), making the
firms’ profit maximizing prices and outputs independent of \( t \). This is true whether we have perfect or imperfect competition. If \( k_a > 0 \), on the other hand, the firm’s marginal costs would be increasing in the tax level, in which case we would have \( dp_n^A/dt > 0 \) and \( da/dt < 0 \).

### 5.1 Monopoly

When analyzing the tax responses in a two-sided market structure, we confine ourselves to considering the consequences of a small tax increase from \( t = 0 \). We start out by setting \( s = 0 \), such that the newspapers are monopolies in each of their market segments. In the Appendix we show that non-negative prices require that \( \gamma \in (1/3, 1) \). If \( \gamma \leq 1/3 \), consumers have so little aversion against ads that the media firms prefer to give the newspapers away for free to the consumers. In this case their whole profit originates from the ad market. Conversely, if \( \gamma \geq 1 \), consumers have such a negative attitude towards ads that the media firm maximizes profits by setting \( a_i = 0 \). In this case its entire revenue is derived from the reader market.

Differentiating (16) with respect to \( t \) we find that the quantity changes subsequent to a tax increase from \( t = 0 \) are given by

\[
\frac{da}{dt} \bigg|_{t=0} = -\frac{1 + 5\gamma^2 - 2\gamma}{D_1^2} < 0 \quad \text{and} \quad \frac{dn}{dt} \bigg|_{t=0} = -2\frac{\gamma (1 - \gamma^2)}{D_1^2} < 0.
\]

By inserting for (16) into (11) and (13) we further have

\[
\frac{dp^A}{dt} \bigg|_{t=0} = -\gamma \frac{2\gamma - 7\gamma^2 + 1}{D_1^2} < 0 \quad \text{for} \quad \gamma < \gamma^* \equiv \left(1 + 2\sqrt{2}\right)/7 \quad (18)
\]

and

\[
\frac{dp^N}{dt} \bigg|_{t=0} = \gamma \frac{3(1 + \gamma^2) - 2\gamma}{D_1^2} > 0.
\]

Figure 2 illustrates equations (17) and (18) graphically. Consistent with Proposition 1, sales of both advertising and newspapers fall subsequent to a higher tax. Note also that if \( \gamma < \gamma^* \approx 0.55 \), then the end-user price of newspapers, where the tax rate is unchanged, increases, while the end-user price of advertising, where the tax rate has increased, falls. This is consistent with Proposition 2.
The reason why \( dp^A/dt \rvert_{t=0} < 0 \) for \( \gamma < \gamma^* \) is that if the readers do not care much about the ad-volume, the media firm will sell a large amount of newspaper copies in order to generate a high income from the ad-market. This incentive is significantly reduced if ads are taxed. Thus, there will be a big drop in newspaper sales. This reduces the willingness to pay for ads, leading to a fall in the ad price. Only for \( \gamma > \gamma^* \) is the own-price effect so strong that the reduced supply of ad space increases the price of ads.

\[
\frac{dp^A}{dt} \rvert_{t=0} < 0
\]

\[
\frac{d\Pi}{dt} \rvert_{t=0} = -\frac{dT}{dt} \rvert_{t=0}
\]

This means that
\[
\frac{dW}{dt} \rvert_{t=0} = \frac{dCS}{dt} \rvert_{t=0} + \frac{d\pi}{dt} \rvert_{t=0}
\]

By using

\[
\frac{dW}{dt} \rvert_{t=0} = \frac{dCS}{dt} \rvert_{t=0} + \frac{d\pi}{dt} \rvert_{t=0}
\]

\[
W = CS + 2\Pi + \pi + T,
\]

where \( T = \frac{t}{1+t} \left( 2p^A a \right) \).

Figure 2: Price and quantity responses.

Figure 2 verifies that price and quantity responses to higher taxes in two-sided markets may differ qualitatively from those we find in one-sided market. A second deviation from standard results in one-sided markets, is that even a small tax on a good with negative externalities (advertising) may have negative welfare consequences. To see this, we define welfare in the usual way as the sum of consumer surplus, profit, and tax revenue (\( T \)):
equations (11) and (13) we find the following simple expressions for consumer surplus and profit for the advertiser:

\[ CS = n^2 \text{ and } \pi = 2\gamma a^2. \]

From this we immediately see that

\[ \frac{dCS}{dt} \bigg|_{t=0} = 2n \frac{dn}{dt} \bigg|_{t=0} < 0 \text{ and } \frac{d\pi}{dt} \bigg|_{t=0} = 4\gamma a \frac{da}{dt} \bigg|_{t=0} < 0. \]  

(19)

It thus follows that for all \( \gamma \in (1/3, 1) \) we have

\[ \frac{dW}{dt} \bigg|_{t=0} = -2\gamma (1 - \gamma) (1 + 7\gamma^2) \frac{D_1^3}{N^3(1+t)^2} < 0. \]

Even though advertising imposes a negative externality on the newspaper readers, a higher tax on ads consequently has a negative effect on consumer surplus and welfare. There are two reasons for this somewhat paradoxical result. First, a higher tax on advertising increases the perceived marginal costs of selling newspapers, as stated in Lemma 1. This effect is present independent of the sign of \( \Pi_{an} \). Second, if \( \Pi_{an} > 0 \) the lower output of newspapers reduces the marginal profitability of selling ads, which again reduces the marginal profitability of selling newspapers. In this sense a higher tax on ads leads to a vicious circle where output contractions of newspapers and ads mutually reinforce each other.

5.2 Duopoly

So far we have assumed that \( s = 0 \), which means that each media firm has monopoly power in its own market segment. All the qualitative results above survive as long as the consumers perceive the media products as imperfect substitutes. In particular, the firms will use their market power to shift part of the tax burden over to the consumers and the advertisers if \( s < 1 \) (contrary to what they would be able to do

\[ 12 \]  

The equation \( \pi = \gamma a^2 \) might leave the counterintuitive impression that the advertiser’s profit level is increasing in \( \gamma \). However, this is not correct, since the ad volume is decreasing in the reader’s disutility of ads. We consequently find \( \frac{d\pi}{d\gamma} = -\frac{2(1-\gamma)(1+t)(1+\gamma(1+t))}{N^3(1+t)^2} < 0. \)
in a one-sided market with $k = 0$). The ability to do so is smaller the more fiercely the firms compete, though. This is most obvious if we use equation (16) and consider the consequences of a small tax increase from $t = 0$ on output:

$$\left.\frac{dn}{dt}\right|_{t=0} = -8(1 - s) \frac{\gamma (1 - \gamma^2) (4 - 3s)}{D_1^2} < 0$$

Equation (20) shows that sales of both newspapers and advertising space fall subsequent to an increase in $t$ as long as there is imperfect competition between the firms. However, as $s \to 1$ we have $dn/dt = da/dt \to 0$. The reason for this is that the consumers perceive the newspapers as perfect substitutes at $s = 1$, implying that the media firms have no market power. Then the advertising tax works as a pure surplus tax, just as in a one-sided market (with no distortionary effects). Thus, it is only in the limit case where the firms produce perfect substitutes that the consequences of a tax increase are the same in one-sided and two-sided markets.

Before ending this section, it is useful to analyze what happens to $p^A$ under duopoly if the government introduces a small tax on advertising. It turns out that the price effect is ambiguous also with (imperfect) competition between the media firms. This is illustrated on the left-hand side panel of Figure 3, which shows the combinations of $s$ and $\gamma$ where $dp^A/dt = 0$. For $s = 0$ the firms have monopoly power, in which case we have seen that each media firm will reduce the advertising price if $\gamma < \gamma^* = 0.56$, and increase the advertising price if $\gamma > \gamma^*$. However, the media firms' ability to increase the advertising price subsequent to a tax increase is smaller the closer substitutes the media products are. This explains why the curve in the Figure is upward-sloping. Indeed, as we approach $s = 1$ the media firms will have no ability to increase the advertising price.

The Figure indicates that there is a complex relationship between the extent of competition and the change in the advertising price as the tax increases. For a given value of $\gamma$ it might for instance be true that two monopolies prefer to increase the advertising price, while the opposite holds for two competing firms. This is
illustrated on the right-hand side of Figure 3, where we have set \( \gamma = 6/10 \). For \( s \in [0, 72] \) we have \( dp^A/dt \big|_{t=0} > 0 \), while \( dp^A/dt \big|_{t=0} < 0 \) for \( s \in (0.72, 1) \). Note also that in the limit \( s = 1 \) we must have \( dp^A/dt \big|_{t=0} = 0 \), since the tax then works as a pure surplus tax.

![Figure 3: Tax responses and competition.](image)

### 6 A tax on ads when \( \Pi_{an} < 0 \)

When \( \Pi_{an} < 0 \), the marginal profitability of newspaper sales is decreasing in the ad-volume. Contrary to the results above, it is then not necessarily true that a higher ad-valorem tax on ads reduces sales on both sides of the market. It may actually be the case that output of either ads or newspapers increases. Equations (5) and (6), which for the sake of convenience we repeat here, make this clear:

\[
\frac{da}{dt} = \frac{1}{H(1+t)} \left[ MR_a \Pi_{nn} + \frac{p_n^A a}{1+t} (-\Pi_{an}) \right] \\
\frac{dn}{dt} = \frac{1}{H(1+t)} \left[ \frac{p_n^A a}{1+t} \Pi_{aa} + MR_a (-\Pi_{an}) \right]
\]

The first term in the square brackets of (21) is always negative, but the second term is positive if \( \Pi_{an} < 0 \). The total effect is thus ambiguous. However, in the Appendix we prove the following result:
Proposition 3. Suppose $\Pi_{an} < 0$. A higher ad-valorem tax on ads reduces sales on one side of the market, and may increase sales on the other side. The following combinations are possible:

(i) $da/dt \leq 0$ and $dn/dt \leq 0$.
(ii) $da/dt > 0$ and $dn/dt < 0$.

If sales of one good drop, the marginal profitability of selling the other good increases when $\Pi_{na} < 0$. This explains why output of the two goods may move in opposite directions, as stated in Proposition 3. Due to the ambiguity of the quantity effects, it is clear that also the price responses (4) are ambiguous.

The last part of Proposition 3 is surprising, as it states that the ad-volume may increase following a rise in the ad tax. We shall below demonstrate that this result occurs when the readers’ disutility from ads is sufficiently high. We do this by looking at a simple example which encompasses both monopoly and duopoly.

7 Monopoly vs. duopoly with $\Pi_{an} < 0$

In Section 5 we showed that the media firms’ possibility of shifting the tax burden over to consumers and advertisers is smaller the less differentiated the consumers perceive the media products to be (as measured by the parameter $s$). It can be shown that the effects of an increase in $s$ (reduced newspaper differentiation) are the same in the example we shall now look at. For simplicity we therefore set $s = 0$. This means that we can simplify equation (11), which expresses consumer demand for the two media products, to

$$p_i^N = 1 - \gamma a_i - n_i.$$ \hspace{1cm} (22)

We thus have a standard downward-sloping linear demand curve for newspapers, where the willingness to pay for a newspaper is decreasing in the ad volume if $\gamma > 0$. For simplicity we further assume that we can linearize demand for ads around the
equilibrium point to

\[ p_i^A = 1 - a_i + n_i - ha_j. \]  

(23)

The willingness to pay for an ad is thus decreasing in the ad volume and increasing in the size of the readership. The inclusion of the parameter \( h \in [0, 1] \) in equation (23) is inspired by Godes et al (2008), and measures to what extent the two newspapers compete in the advertising market. If \( h = 0 \) each newspaper has monopoly power in the advertising market, while they are perceived as perfect substitutes if \( h = 1 \).

The media firms’ profit functions are the same as in Example 1 (c.f. equation (12)), but to ensure that \( \Pi_{an} < 0 \) as simple as possible we specify the cost function as \( k_i = a_i n_i + n_i / 2 \). We now have

\[ \Pi_{an} = -\frac{t(1 + \gamma) + \gamma}{1 + t} < 0. \]  

(24)

The newspapers solve \( \{a_i, n_i\} = \text{arg max} \Pi_i \) simultaneously. Omitting subscripts, the first-order conditions for a symmetric equilibrium are given by

\[ a = (1 + t) \frac{4 - t - \gamma(1 + t)}{2D_2} \quad \text{and} \quad n = \frac{2 - (1 + t)(2\gamma - h)}{2D_2}. \]  

(25)

The denominator \( D_2 \) is positive whenever the second-order conditions and non-negativity constraints hold (see Appendix).

Before analyzing the consequences of a tax increase in this two-sided market, it is useful to note the following:

**Remark 2:** Assume that the markets are one-sided \( (p_n^A = p_a^N = 0) \). If \( h = 0 \), prices, output and welfare are independent of the VAT rate. If \( h > 0 \), then \( da_i/dt < 0 \) and \( dn_i/dt > 0 \).

The results in Remark 2 are proved in the Appendix. If \( h = 0 \) we have the same result as in Example 1: the VAT on ads works as a pure surplus tax, with no effect on output and prices. However, if \( h > 0 \) the firms will compete in the advertising market, and this competition will be stronger the larger \( h \) is. A higher value of \( h \) therefore makes it optimal for the firms to reduce production of the A–good
and increase production of the $N$-good, and more so the higher the VAT rate. Since the demand curves are downward-sloping, this further implies $dp^A/dt > 0$ and $dp^N/dt < 0$.

### 7.1 Monopoly

As in Section 5, we start out by considering the monopoly case. In the present case this amounts to setting $h = 0$, and it can be shown that all non-negativity constraints and second-order conditions hold for $\gamma \in (0, 1)$. From equation (25) we now have:

$$\left. \frac{dn}{dt} \right|_{t=0} = -\frac{2 - 2\gamma + \gamma^2}{D^2_2 (\gamma + 2)^{-1}} < 0 \quad \text{and} \quad \left. \frac{da}{dt} \right|_{t=0} = \frac{3\gamma - 2}{2D^2_2 (\gamma + 2)^{-1}} \leq 0. \quad (26)$$

The reason why newspaper sales fall, is that a higher tax on ads increases the perceived marginal costs of selling newspapers (c.f. Lemma 1). The drop in newspaper sales in turn raises the marginal profitability of selling ads, and (26) shows that $da/dt > 0$ if $\gamma > 2/3$. It is thus when the readers’ disutility from ads is sufficiently large that a higher tax on ads leads to more advertising. This is illustrated in Figure 4, which also shows that the advertising price (inclusive of taxes) falls when $t$ increases. This is due to the fact that the willingness to pay for ads is reduced because the newspaper circulation falls ($dn/dt < 0$).
The intuition behind the quantity changes in Figure 4 is as follows. If the consumers dislike ads, the newspaper maximizes profit by having a lower advertising volume than that which maximizes profits on the ad-side of the market. This effect is stronger the larger $\gamma$ is, such that the incentive to "underprovide" ads is more pronounced the more the consumers dislike ads. A higher tax reduces newspaper sales, and thus increases the marginal profitability of selling ads when $\Pi_{an} < 0$. It follows that the media firm has stronger incentives to increase the advertising volume subsequent to a higher VAT on ads the larger $\gamma$ is. This explains why $da/dt > 0$ for sufficiently high values of $\gamma$.

Also in this example newspaper readers are adversely affected by a tax on ads, but interestingly the advertisers might benefit. This is true if $da/dt > 0$. It can further be shown that

$$\left. \frac{dW}{dt} \right|_{t=0} = -\frac{16 - 30\gamma + 15\gamma^2 - 4\gamma^3}{2D_2^2(2 - \gamma)}$$

is positive for $\gamma \in (0.77, 1.0)$. For sufficiently high values of $\gamma$ we thus find that a small tax on ads increases welfare. However, this is not because the tax leads to reduced output of the good which imposes a negative externality, but on the contrary because output of that good increases. This turns standard insight from welfare analysis upside-down.

### 7.2 Duopoly

If $h > 0$ the media firms compete in the advertising market (but not in the reader market, since we have set $s = 0$). In the Appendix we show that newspaper sales fall ($dn/dt < 0$) and newspaper prices increase ($dp^N/dt > 0$) subsequent to a higher tax.

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13Mathematically, this can be seen by using equation (7) to find $\Pi_{an}|_{t=0} = p_a^4 - \gamma - k_{an}$. Since $d \Pi_{an}|_{t=0}/d\gamma < 0$, a given reduction of newspaper sales leads to a larger increase in the marginal profitability of selling ads the higher $\gamma$ is.
on ads for all $h \in [0, 1]$. These responses are the opposite of those we would have in a one-sided market, as noted in Remark 2. The responses in the advertising side of the market are more ambiguous, and depend on the value of $h$. In particular, for $h = 0$ we found that it is optimal for the newspapers to sell more ads if the tax rate on ads increases and $\gamma > 2/3$. The same is not necessarily true if the newspapers compete in the advertising market. The reason for this is that the larger $h$ is, the less market power each newspaper will have in the advertising market, and the less profitable it is to sell more advertising space if the tax rate on ads increases. In Figure 5 we have assumed that $\gamma = 4/5$. At $h = 0$ we therefore have $da/dt > 0$, but if the competitive pressure in the advertising market becomes sufficiently strong ($h > 14/45 \approx 0.3$) each newspaper will optimally respond with $da/dt < 0$. This in turn implies that the tendency to reduce the advertising price subsequent to the tax increase is less pronounced the larger is $h$.

![Graph showing competition and tax responses on the ad-side.](image)

**Figure 5:** *Competition and tax responses on the ad-side.*

8 Conclusion

In this paper we have made use of recent advances in the theory of Industrial Organization to analyze how a tax on advertising may work. The starting point of the
analysis is that readers/viewers perceive ads as a nuisance. Standard theory would
in this case prescribe a tax on ads that makes the firms internalize the negative
externalities. However, standard theory neglects the linkages that exist between
the firms’ customer groups. Including these linkages in the analysis, we find that a
tax on ads may be counterproductive. First, it is not obvious that the advertising
volume will fall. Indeed, the opposite may happen if media consumers have suffi-
ciently strong negative attitudes towards ads. Second, even if the advertising volume
should fall, the tax may have negative welfare effects. In particular, a tax on ads will
reduce the media firms’ incentives to make high advertising revenue by setting low
consumer prices (so as to attract large audiences). We have thus identified a number
of situations in which the consumers will be negatively affected by such a tax. This
serves to show how important it is to understand the business model of platform
firms. Tax policy does not work in a conventional way in two-sided markets.

In our analysis we have abstracted from taxation on the consumer side of the
market (most European countries do for instance have VAT on consumer payments
to TV channels, and some have VAT on newspaper sales). This is an innocent
abstraction as long as we only consider possible corrective rationales for taxing ads.
However, in policy analysis where governments also have fiscal motives for taxing
ads it might be important to include tax effects on the consumer side. The reason
is that it is a-priori ambiguous what will happen to tax revenue on this side of the
market if the media firms’ response to a tax on ads is to raise the consumer price
and reduce output. In Europe, the higher price would have a positive effect on
VAT revenue from the consumers, while the lower output would have a negative
effect. This ambiguity should clearly also be taken into account in the discussion of
including advertising services in the US sales tax system.\textsuperscript{14}

\textsuperscript{14}US state legislators repeatedly discuss and implement an ad tax. See the webpage by the
American Advertising Federation (http://www.aaf.org/ → government affairs) for more infor-
mation.
9 Appendix

9.1 Calculation of Example 1

Define $D_1 \equiv 3(8(1-s)+s^2)\gamma - 4(\gamma^2+(1+t)^{-2})(1+t)(1-s)$.

Using equations (11), (13) and (14) we find $\frac{\partial^2 \Pi_1}{\partial n_1^2} < 0$, $\frac{\partial^2 \Pi_1}{\partial a_1^2} < 0$ and

$$H \equiv \left(\frac{\partial^2 \Pi_1}{\partial n_1^2}\right) \left(\frac{\partial^2 \Pi_1}{\partial a_1^2}\right) - \left(\frac{\partial^2 \Pi_1}{\partial n_1 \partial a_1}\right)^2 = \frac{D_1 + \gamma s^2}{4(1-s)(1+t)}.$$ 

A sufficient condition for $H$ to be positive, and thus for the second-order conditions to hold, is that $D_1 > 0$.

Inserting for (11) and (13) into (16) we have

$$p^N = \frac{\gamma(12-14s+3s^2)(t+1)-4(1-s)}{D_1(1+t)}$$ and

$$p^A = \frac{2\gamma 2-s+2\gamma(t+1)(1-s)}{D_1}.$$ 

From (27) we find

$$\frac{dp^N}{dt} \bigg|_{t=0} = 4\gamma(1-s) \frac{4(1-s)(3-2\gamma)+12(1-s)\gamma^2+2s(1-\gamma^2)+3s^2\gamma^2}{D_1^2} > 0$$

and

$$\frac{dp^A}{dt} \bigg|_{t=0} = -4\gamma(1-s) \frac{4(2\gamma-7\gamma^2+1)-3s^2\gamma^2-(8\gamma+2-26\gamma^2)s}{D_1^2} \geq 0.$$ 

The newspaper price is thus increasing in the tax on ads, while the price response on ads is ambiguous. The upward-sloping curve in Figure 3 is found by setting $\frac{dp^A}{dt} \bigg|_{t=0} = 0$.

Note from (27) that both $p^A$ and $p^N$ are non-negative for $s = t = 0$ iff $\gamma \in [1/3, 1]$. Q.E.D.
9.2 Example 2: One sided markets

With one-sided markets and $s = 0$ we have $p^N_i = 1 - n_i$ and $p^A_i = 1 - a_i - ha_j$. Solving \{a_i, n_i\} = \Pi_i \text{ simultaneously for the two firms we find (omitting subscripts)}:

$$a = \frac{3 - t}{2(3 - t + 2h)} \quad \text{and} \quad n = \frac{h}{2(3 - t + 2h)}.$$  \hspace{1cm} (28)

This yields the following quantity responses subsequent to a tax increase:

$$\frac{da}{dt} = -\frac{h}{(3 - t + 2h)^2} < 0 \quad \text{and} \quad \frac{dn}{dt} = \frac{h}{2(3 - t + 2h)^2} > 0$$

By inserting for (28) into the demand functions we further find

$$\frac{dp^A}{dt} = h \frac{1 + h}{(3 - t + 2h)^2} > 0 \quad \text{and} \quad \frac{dp^N}{dt} = -\frac{h}{2(3 - t + 2h)^2} < 0.$$  

Q.E.D.

9.3 Proof of Proposition 3

Note that $H \equiv \Pi_{aa} \Pi_{nn} - \Pi_{an}^2 > 0$ which, when $\Pi_{an} < 0$, implies

$$\frac{\Pi_{aa}}{\Pi_{an}} > \frac{\Pi_{an}}{\Pi_{nn}} > 0.$$  

Rearranging both derivatives in (21), while using the above inequality, proves both statements in Proposition 3. Q.E.D.

9.4 Calculation of Example 2

Define $D_2 = 2(2 + h)(1 + t) - (\gamma (1 + t) + t)^2$. Using equations (14), (11), and (23) we find $\frac{\partial^2 \Pi_1}{\partial n_1^2} < 0$, $\frac{\partial^2 \Pi_1}{\partial a_1^2} < 0$ and

$$H \equiv \left( \frac{\partial^2 \Pi_1}{\partial n_1^2} \right) \left( \frac{\partial^2 \Pi_1}{\partial a_1^2} \right) - \left( \frac{\partial^2 \Pi_1}{\partial n_1 \partial a_1} \right)^2 = \frac{D_2 - 2h(1 + t)}{4(1 - s)(1 + t)}.$$  

A sufficient condition for $H$ to be positive, and thus for the second-order conditions to hold, is that $D_2 - 2h(1 + t) > 0$. This is ensured in the numerical example.
From (25) we have the following quantity responses to a higher VAT on ads:

\[
\frac{da}{dt}\bigg|_{t=0} = \frac{3\gamma - 2}{2D_2^2(\gamma + 2)^{-1}} - \frac{2h(\gamma + 1)}{2D_2^2} \quad \text{and} \\
\frac{dn}{dt}\bigg|_{t=0} = -\frac{2 - 2\gamma + \gamma^2}{D_2^2(\gamma + 2)^{-1}} - \frac{h(5 - (\gamma + 1)^2)}{2D_2^2}.
\]

Inserting for the equilibrium quantities into the demand functions and differentiating we further have:

\[
\frac{dp_N}{dt}\bigg|_{t=0} = \frac{4 - 2\gamma - \gamma^2}{2D_2^2(\gamma + 2)^{-1}} + \frac{\gamma^2 + 4}{2D_2^2}h \quad \text{and} \\
\frac{dp_A}{dt}\bigg|_{t=0} = -\frac{2 - \gamma + 2\gamma^2}{2D_2^2(\gamma + 2)^{-1}} + \frac{h(\gamma + 1)(h - \gamma + 1)}{D_2^2}.
\]

Q.E.D.

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